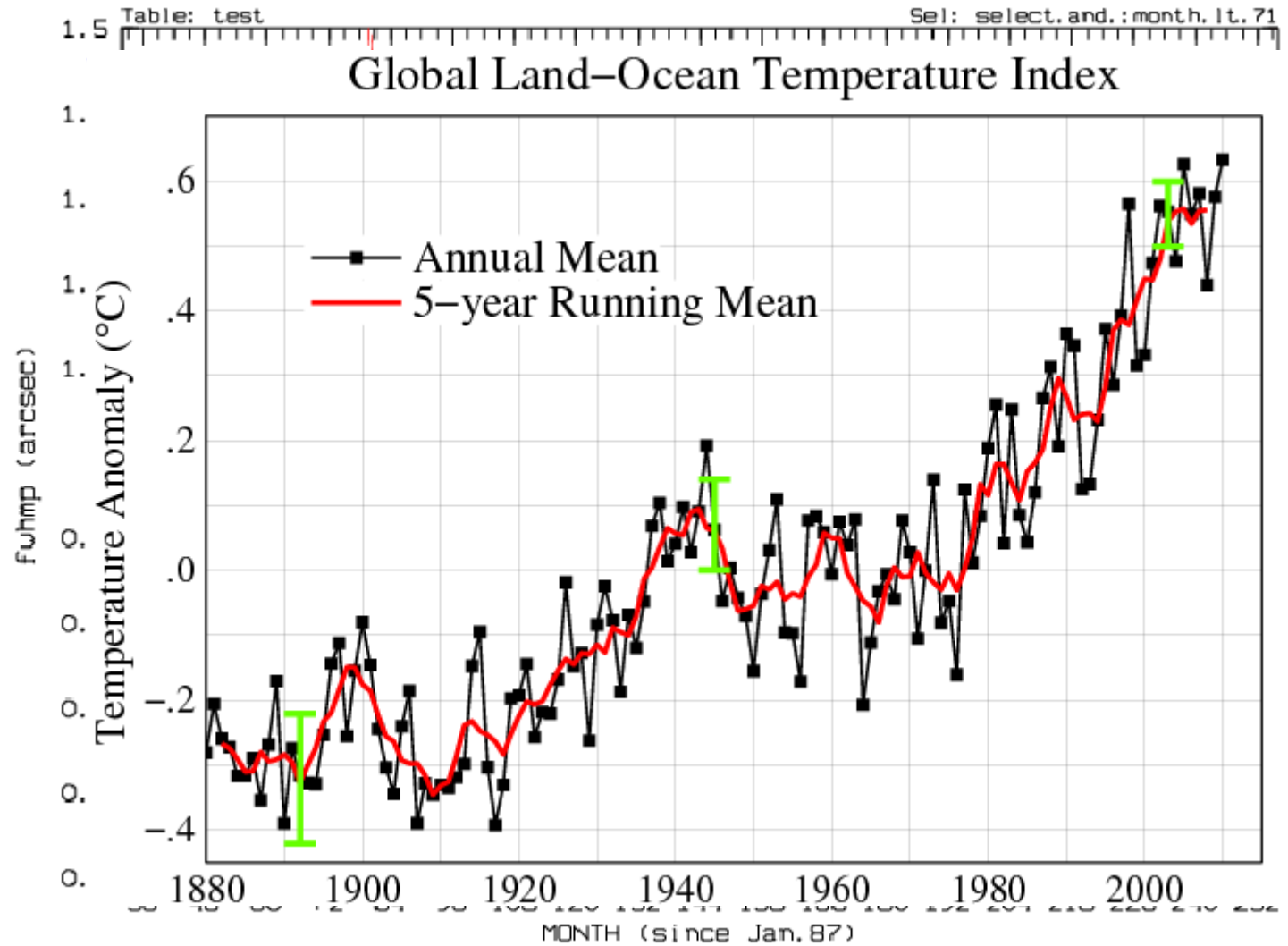
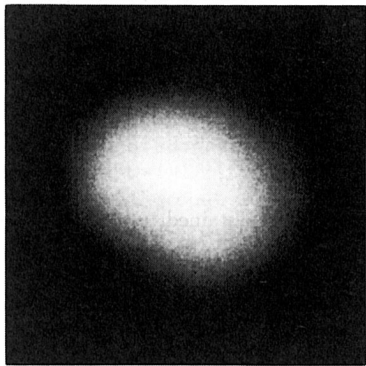
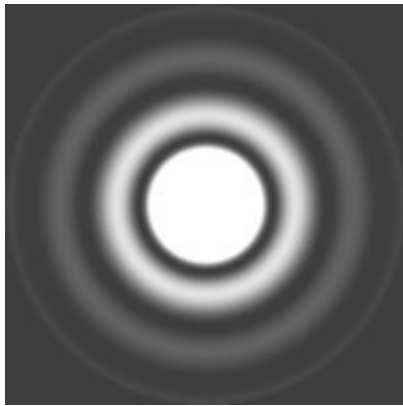


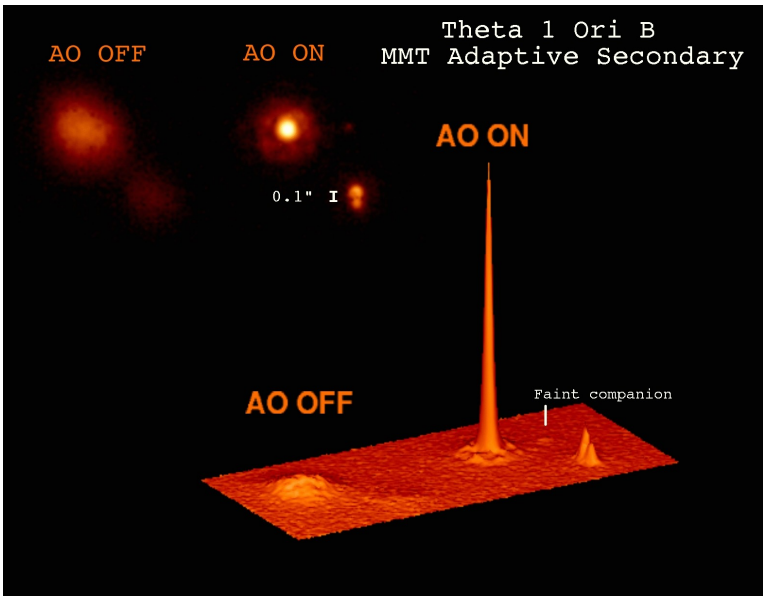
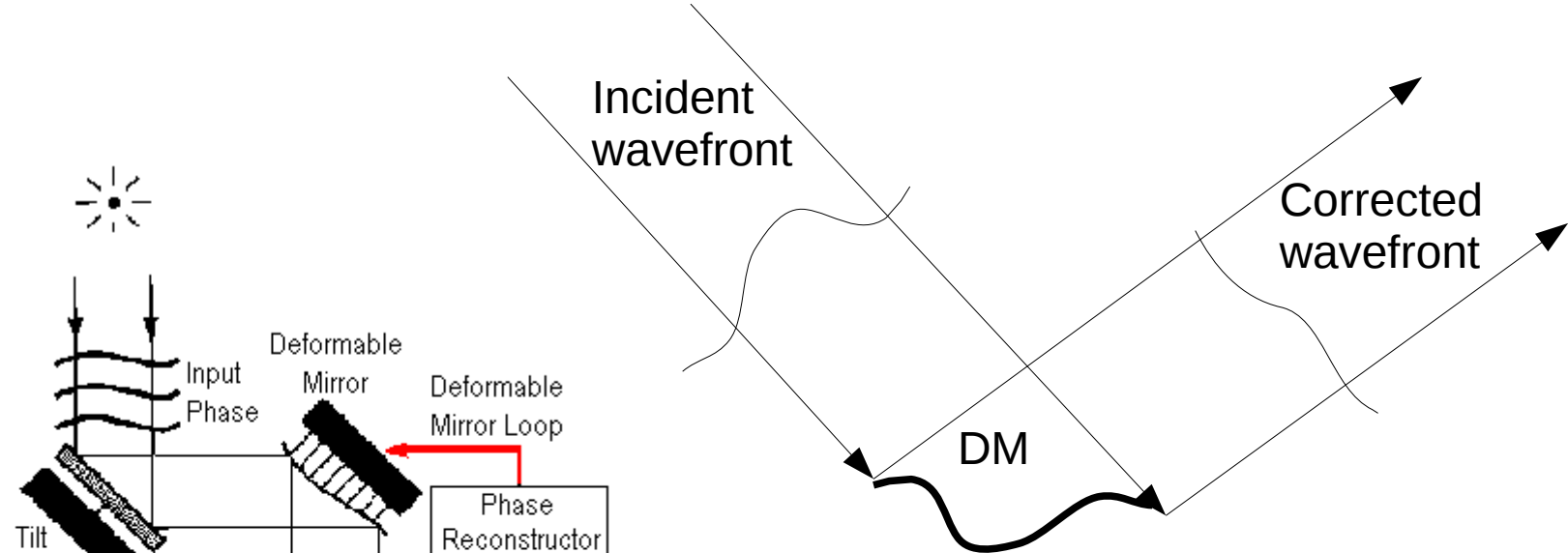
Adaptive optics simulations etc

Alastair Basden
Durham University

AO: Introduction



AO: Correction



AO: Performance

- How well will a given AO system perform?
- We need to simulate it to find out...

AO: Simulation

- Lots of components:

- A
- Te
- W
- D
- W
- M

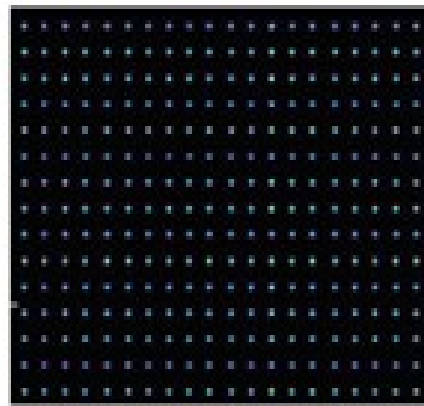
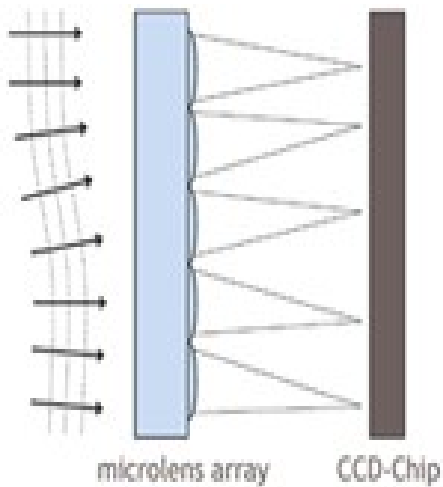
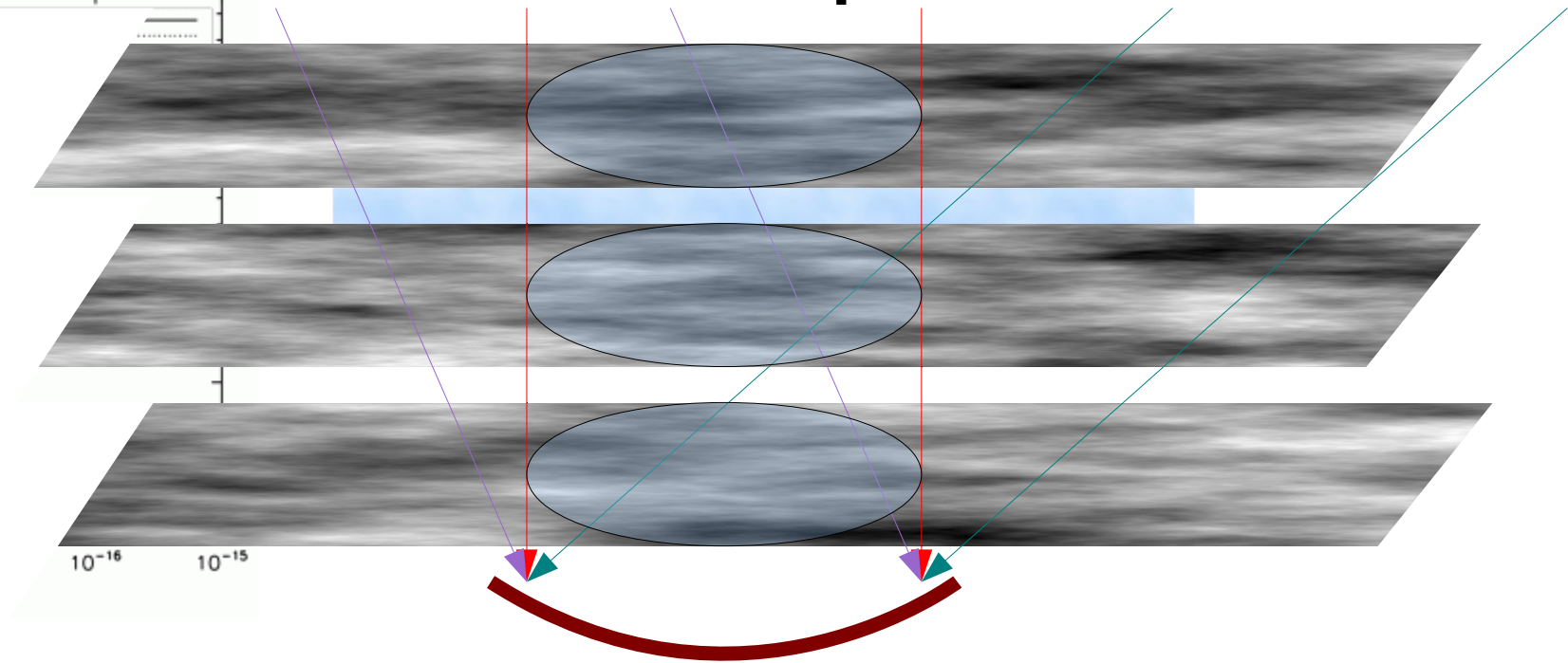
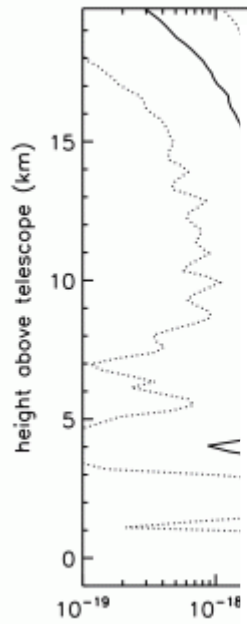
2 main simulation categories:

Analytical (usually Fourier based)

Monte-Carlo (physical/geometrical optics, time series etc)

- Science cameras

AO: The atmosphere



AO: Monte-Carlo

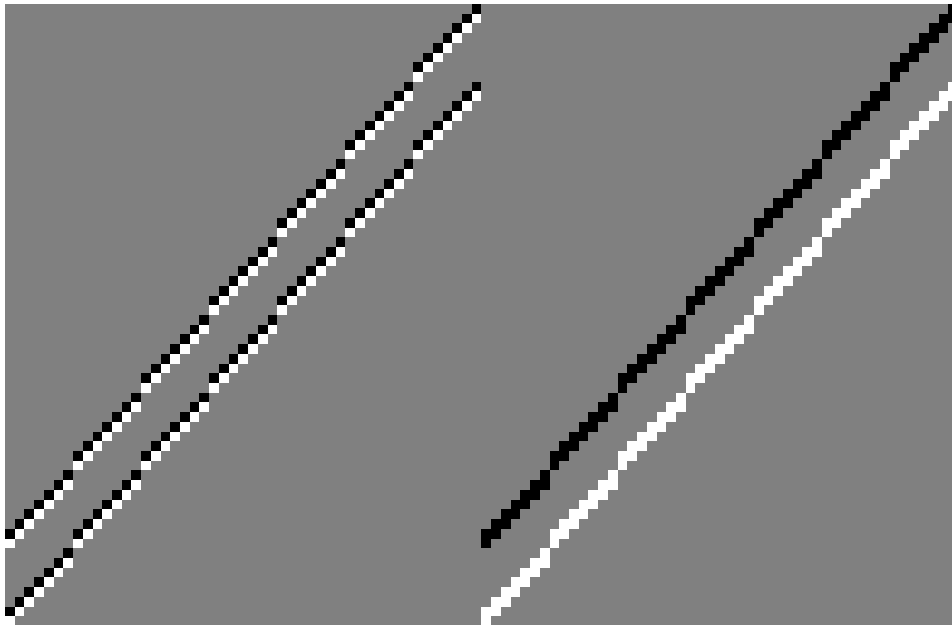
- Break into timesteps:
 - Translate phase screens (wind velocity, frozen turbulence etc)
 - Gives time varying turbulence
 - Introduce DM effect
 - Shaped on previous timestep
 - Measure wavefront with wavefront sensor
 - CCD noise, shot noise etc
 - Make science image, and integrate with previous images
 - Compute new DM shape (wavefront reconstruction)

AO: 3 stages

- Calibrations
- Calculations
- Atmosphere/telescope simulation
 - Full end-to-end simulation
 - Parallelised with MPI and threading

AO: Calibrations

- Need to know how the DM affects the wavefronts



- Matrix equation: $Ax=b$

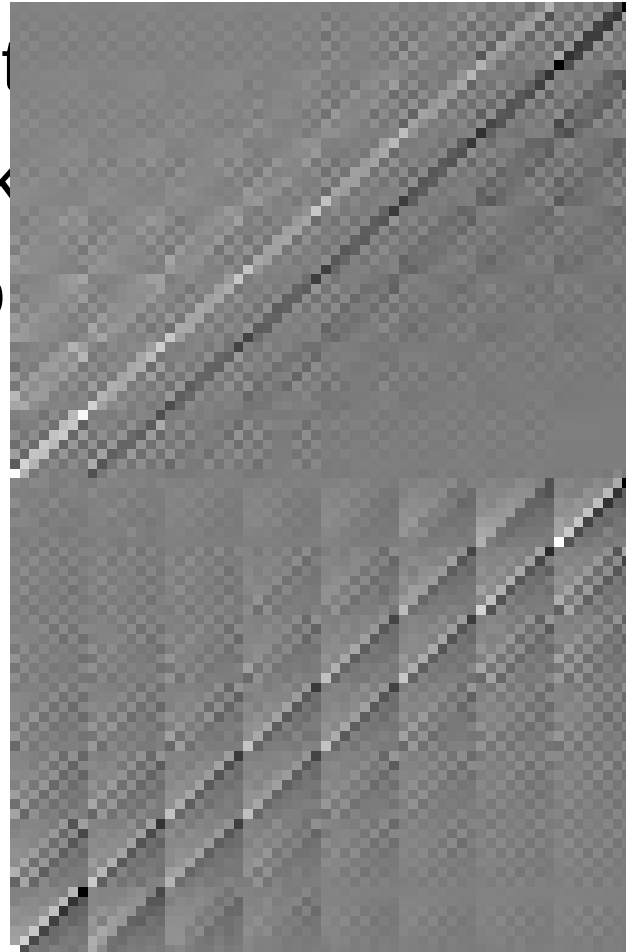
$$A \begin{pmatrix} 0 \\ 0 \\ 0 \\ 0 \\ \dots \\ 0 \end{pmatrix} = \begin{pmatrix} s_1 \\ s_2 \\ s_3 \\ \dots \\ s_n \end{pmatrix}$$

$$A: \rightarrow \begin{pmatrix} 1 & \dots & m \\ \dots & \dots & \dots \\ n & \dots & \dots \end{pmatrix}$$

m: Number of actuators
n: Number of slopes

AO: Calculations

- Solve $Ax=b$
 - b is the slope measurement
 - A is the interaction matrix (k)
 - x are the values to be put on
- $x = A^{-1}b$
- So, compute A^{-1}
 - Pseudo inverse: $(A^T A)^{-1} A^T$



AO: Simulation

- Wavefront sensor measures slopes, b
 - Reformat into a vector
- Compute the corresponding correction:
 - $x=A^{-1}b$
- Apply x to the mirror:
 - reshape x to 2D, and apply cubic spline interpolation

Monte-Carlo: challenges

- Larger simulations take longer to run
 - Higher order or larger telescope
- Scales as $O(D^4)$ for reconstruction
- The inversion step (one off) scales as $O(D^6)$
 - Nasty... but only once per simulation
 - WHT: 4.2m \rightarrow 0.05s
 - ELT: 42m \rightarrow 14 hours!!! (39m \rightarrow 9 hours)
 - Actually more like 4-5 hours

AO: Alternative solvers

- Inversion can take too long
- Use an iterative solver (a direct solver):
 - $Ax=b$
 - No inversion necessary (A^{-1} not needed)
 - Conjugate gradient algorithm favoured
 - But must be done every simulation time-step
 - Takes longer to run, replaces the matrix-vector multiplication
 - $O(D^4)$ but with much larger pre-factor

A lesson

- C
- C
- S

Use the most appropriate algorithms...

Change reconstruction algorithm:

Compute: 0 hours

Simulate: 8 hours

2 hour gain

Also quick view into expected performance:

30 minutes to first result (was 4.5 hours)

8.5 hours to end (was 10.5)

AO: Hardware acceleration

- Cray XD1 supercomputer
- 12 Opteron, 6 FPGAs
- Circa 2004

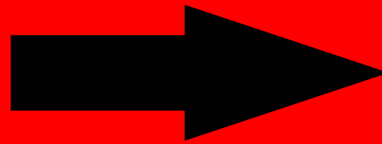


AO: Wavefront sensor acceleration

- Wavefront sensor module:



- Tortoise



- In an FPGA: 600x speedup!!!
 - 9 months FTE



Amdahls Law

- The speedup to a computer that computer has a speedup of improvement on P of that has a

$$s=600$$

$$\text{If } P=0.9:$$

$$\text{Speedup } 9.9x$$

$$\text{If } P=0.5:$$

$$\text{Speedup } 2x$$

$$\text{If } P=0.1:$$

$$\text{Speedup } 1.1x$$

CPU improvements

- Wait a year: CPUs will improve
- Will this render hardware acceleration worthless?
 - Depends on:
 - simulation type
 - achievable speedup
 - effort required
 - reusability

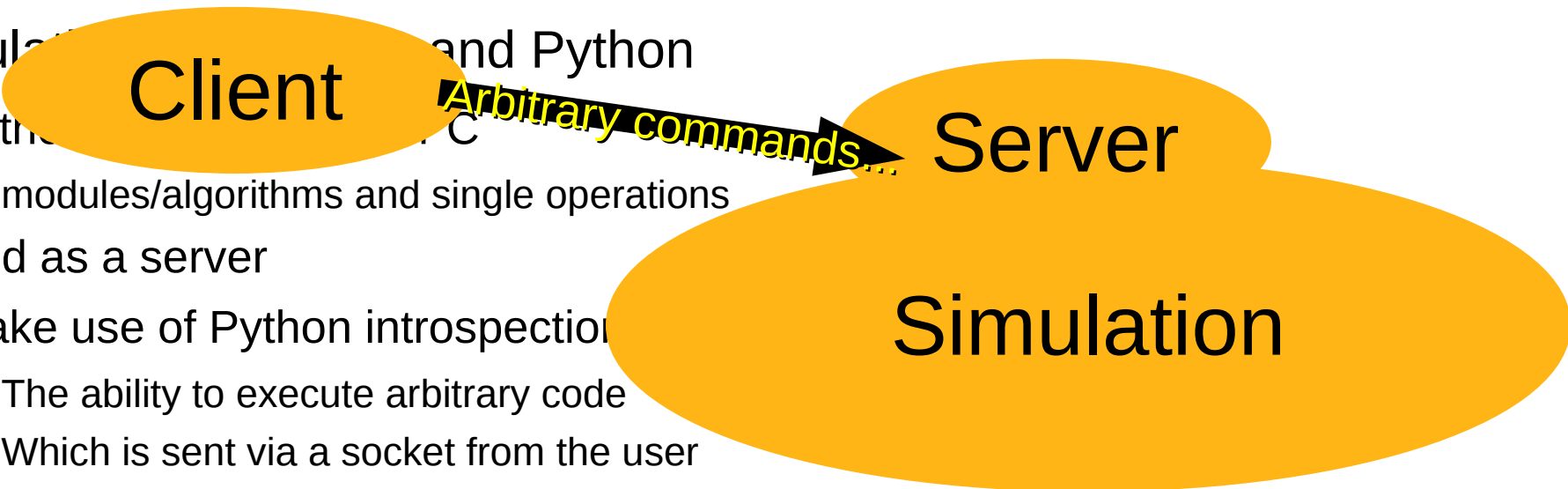


- For GPUs, effort usually small/medium
 - Code reusable – should work with new GPUs
 - Though performance gain can actually be a loss if done badly

Simulation usability

- Tweaking an AO simulation is important
 - While it is running...
 - Allows a quick investigation of parameters
 - to help decide on a parameter space to explore
 - And helps debug (why isn't performance what we hoped for!)
- Diagnostics also important – plots, printouts etc
- How can we do this?
 - Turn the simulation into a server
 - Clients connect, and can then send commands/request data
 - Use shared memory for parameters
 - Clients can modify the shared memory – but more dangerous

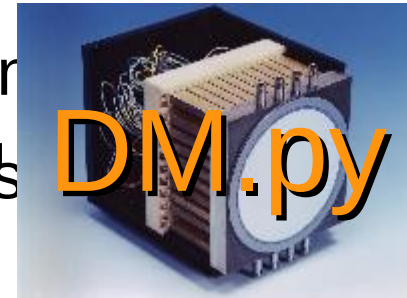
Our approach to usability

- Simulation in C and Python
 - Python Client
 - modules/algorithms and single operations
 - And as a server
 - Make use of Python introspection
 - The ability to execute arbitrary code
 - Which is sent via a socket from the user
 - C modules written such that important parameters are accessible and changeable from Python
 - Trade-off between flexibility and implementation time
 - Generally a good approach for this type of simulation
 - Unanticipated changes can be made
 - Prototyping in Python before (eventual) speedup in C
 - Debugging made easy – can view all parameters/data in the simulation
- 
- ```
graph LR; Client([Client]) -- "Arbitrary commands..." --> Server([Server]); subgraph Simulation; Server; end
```

# Next step: Real-time simulation

**Atmosphere.py**

- Big difference between simulation and on-sky system
- So: Use as much of an on-sky system as possible



**DM.py**



**WFS.py**

control system (DARC)

implementation of algorithms

configuration etc

atmosphere

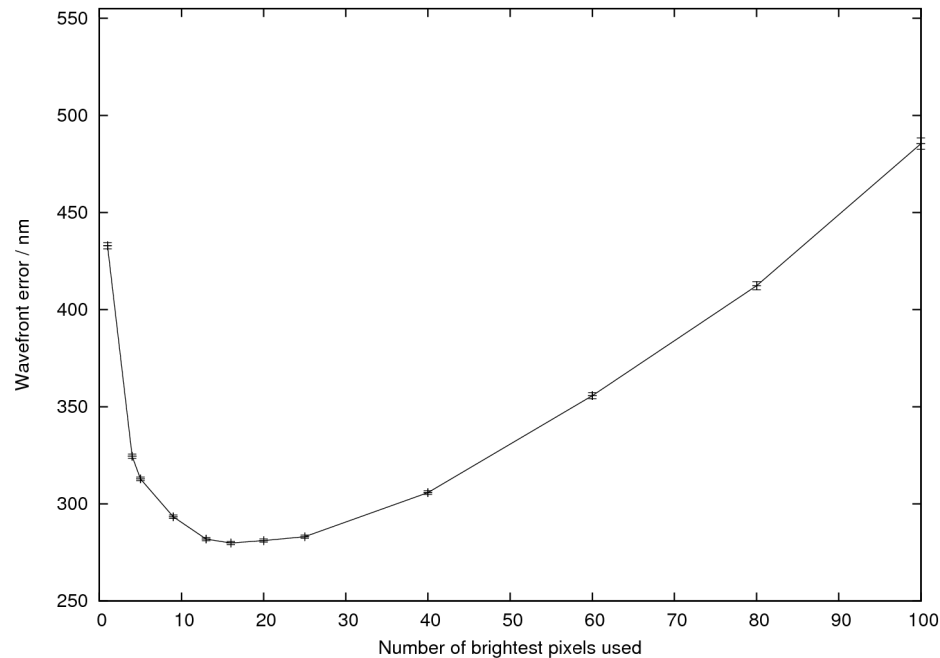
models – since

- Real-time for mid-order wavefront control
- Allows development/testing



**RTCS  
(DARC)**

# Finally: Some results



- In AO it is standard practise to:
  - Validate with other simulation tools (independent codes)
  - Validate with on-sky results – the ultimate test

# Future plans

- Enabling of advanced AO simulations
  - Different operational modes
    - Ground layer AO, laser tomographic AO, extreme AO
  - Speckle suppression
  - Coronagraph simulation
- Extensive use of Hamilton cluster
  - Use existing hardware – reduce power consumption
- More end-to-end details
  - Integrated Zemax models
- GPU acceleration
  - Faster, better Performance/Watt
- Database caching



